

Binomial distribution calculations:

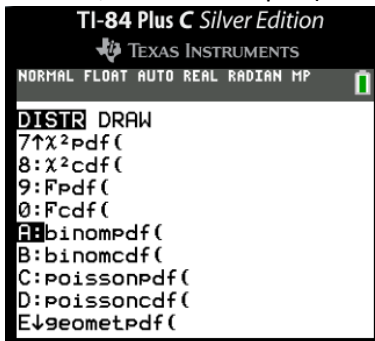
1. Calculate probability of the random variable being exactly equal to a value:
 Example: A multiple choice test has 10 questions. Each question has four answer choices. What is the probability that a student, choosing answers at random gets 7 questions correct (exactly 7).

Formula:

$$P(x) = nCx \cdot p^x \cdot q^{n-x} = {}^{10}C_7 \cdot p^7 \cdot (1-p)^{10-7} = 120 \cdot 0.25^7 \cdot 0.75^3 = 0.00309$$

On the TI 84:

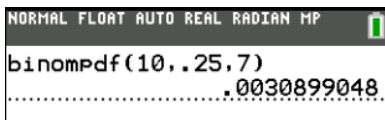
2nd distr, select binompdf (



Enter n, p and x:

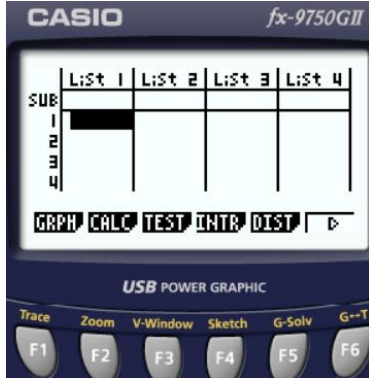


Hit enter, and enter, and enter again. This is the answer:

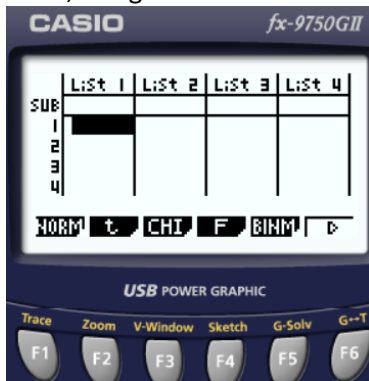


Casio fx- 9750

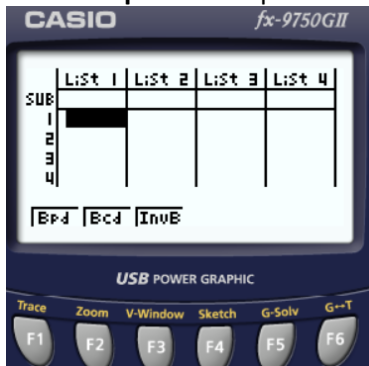
STAT MENU, hit F5: DIST



Then, F5 again: BINM



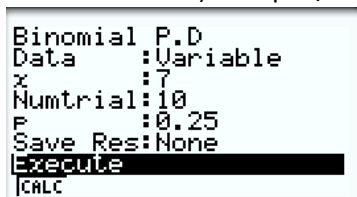
Then F1 **Bpd** for one specific number of successes:



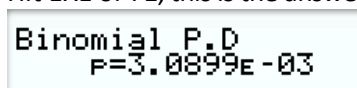
This is the **example** we are working on:

Example: A multiple choice test has 10 questions. Each question has four answer choices. What is the probability that a student, choosing answers at random gets 7 questions correct.

On the binomial distribution screen. Enter: $x = 7$ (number of successes sought), $n = 10$ (total number of trials) and $p = 1/4 = 0.25$ (probability of success):



Hit EXE or F1, this is the answer:



Binomial cumulative probability distribution, --in TI calculators binomcdf, for Casio calculators Bcd, calculates the probability for each specific value of the random variable from zero to x and add them up. It answers the question probability of at most x or probability of less than x number of successes.

Therefore, binom cdf function when $x = 3$, the result is the sum of the binom pdf of 0, 1, 2 and 3. This is the same as "at most 3 successes" or "less than 4 successes".

Binom cdf Example: A multiple choice test has 10 questions. Each question has four answer choices. What is the probability that a student, choosing answers at random has at most 4 questions correct?

Here $n = 10, p = 1/4$ or 0.25, $x = 4$.

CDF simplifies calculation for the "at least x" type of question:

$$P(\text{at least 3 successes}) = 1 - P(\text{at most 2})$$

$$P(\text{at least one}) = 1 - P(\text{no successes or zero})$$

In general:

$$P(\text{at least } x \text{ successes}) = 1 - P(\text{at most } x \text{ minus } 1 \text{ successes})$$

TI 84:

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DISTR DRAW
8↑X2cdf(
9:Fpdf(
0:Fcdf(
A:binompdf(
Bbinomcdf(
C:poissonpdf(
D:poissoncdf(
E:geometpdf(
F:geometcdf(
    
```

Casio fx 9750: select F2, for Bcd

